

**FIRST TERM**  
**WEEKLY LESSON NOTES**  
**WEEK 9**

<b>Week Ending:</b> 10-03-2023	<b>DAY:</b>	<b>Subject:</b> Mathematics
<b>Duration:</b> 60MINS		<b>Strand:</b> Number
<b>Class:</b> B8	<b>Class Size:</b>	<b>Sub Strand:</b> Indices
<b>Content Standard:</b> B8.1.2.3 Demonstrate understanding and the use of the laws of indices in solving problems involving powers of natural numbers		<b>Indicator:</b> B8.1.2.3.2 Apply the laws of indices to simplify and evaluate numbers involving powers of numbers. (PEDMAS)
		<b>Lesson:</b> 1 of 2
<b>Performance Indicator:</b> Learners can solve story problems involving decimals on the four basic operations.		<b>Core Competencies:</b> Communication and Collaboration (CC) Critical Thinking and Problem solving (CP)
<b>References:</b> Mathematics Curriculum Pg. 98		
<b>Phase/Duration</b>	<b>Learners Activities</b>	<b>Resources</b>
<b>PHASE 1: STARTER</b>	Revise with learners on the previous lesson.  Share performance indicators with learners and introduce the lesson.	
<b>PHASE 2: NEW LEARNING</b>	<p>The laws of indices are a set of rules that govern how we can manipulate expressions involving powers of numbers. These rules are:</p> <ol style="list-style-type: none"> <li><b>Product rule:</b> <math>a^m * a^n = a^{(m+n)}</math> This rule tells us that when we multiply two numbers with the same base, we can add their exponents to get the exponent of the result. Example: <math>2^3 \times 2^4 = 2^{(3+4)} = 2^7 = 128</math></li> <li><b>Quotient rule:</b> <math>a^m / a^n = a^{(m-n)}</math> This rule tells us that when we divide two numbers with the same base, we can subtract their exponents to get the exponent of the result. Example: <math>5^8 / 5^3 = 5^{(8-3)} = 5^5 = 3125</math></li> <li><b>Power rule:</b> <math>(a^m)^n = a^{(m*n)}</math> This rule tells us that when we raise a number to a power and then raise the result to another power, we can multiply the exponents to get the exponent of the final result. Example: <math>(3^4)^2 = 3^{(4*2)} = 3^8 = 6561</math></li> <li><b>Negative exponent rule:</b> <math>a^{(-m)} = 1/a^m</math> This rule tells us that when we have a negative exponent, we can flip the base and make the exponent positive to get the reciprocal of the result. Example: <math>2^{-5} = 1/2^5 = 1/32</math></li> <li><b>Zero exponent rule:</b> <math>a^0 = 1</math> This rule tells us that any number raised to the power of zero is equal to one. Example: <math>7^0 = 1</math></li> </ol>	Counters, bundle and loose straws base ten cut square, Bundle of sticks

	<p>Using these rules, have learners simplify and evaluate expressions involving powers of numbers. Here are a few examples:          Example 1: Simplify <math>4^3 * 4^5</math>          Using the product rule, we can add the exponents:  <math>4^3 * 4^5 = 4^{(3+5)} = 4^8 = 65536</math></p> <p><u>Assessment</u></p> <ol style="list-style-type: none"> <li>1. Using the power rule, Evaluate <math>(2^4)^3</math></li> <li>2. Using the quotient rule, Simplify <math>3^5 / 3^2</math></li> <li>3. Using the negative exponent rule, Simplify <math>5^{(-2)}</math></li> <li>4. Using the zero exponent rule, Simplify <math>2^0</math></li> </ol>	
<p><b>PHASE 3:</b>  <b>REFLECTION</b></p>	<p>Use peer discussion and effective questioning to find out from learners what they have learnt during the lesson.</p> <p>Take feedback from learners and summarize the lesson.</p>	

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<b>Content Standard:</b> B8.1.2.3 Demonstrate understanding and the use of the laws of indices in solving problems involving powers of natural numbers	<b>Indicator:</b> B8.1.2.3.3-4 Solve exponential equations and Solve real life problems involving powers of natural numbers	<b>Lesson:</b> 2 of 2
<b>Performance Indicator:</b> Learners can solve exponential equations and solve real life problems involving powers of natural numbers		<b>Core Competencies:</b> Communication and Collaboration (CC) Critical Thinking and Problem solving (CP)
<b>References:</b> Mathematics Curriculum Pg. 101		

Phase/Duration	Learners Activities	Resources
<b>PHASE 1: STARTER</b>	Revise with learners on the previous lesson.  Share performance indicators with learners and introduce the lesson.	
<b>PHASE 2: NEW LEARNING</b>	<p>Guide learners to solve exponential equations and Solve real life problems involving powers of natural numbers</p> <p>1. A person has a piece of land that is 50 meters long and 30 meters wide. How many square meters is the land? Solution: The area of the land is given by the product of its length and width, so we have: <math>\text{Area} = 50 \text{ m} \times 30 \text{ m} = 1500 \text{ m}^2</math> Therefore, the land has an area of 1500 square meters.</p> <p>2. A car travels at a speed of 60 km/h for 3 hours. How far does the car travel? Solution: The distance travelled by the car is given by the product of its speed and time, so we have: <math>\text{Distance} = \text{Speed} \times \text{Time} = 60 \text{ km/h} \times 3 \text{ h} = 180 \text{ km}</math> Therefore, the car travels 180 kilometers.</p> <p>3. A building has 10 floors, each with a height of 3 meters. How high is the building? Solution: The total height of the building is given by the product of the height of each floor and the number of floors, so we have: <math>\text{Height} = 10 \times 3 \text{ m} = 30 \text{ m}</math> Therefore, the building is 30 meters high.</p> <p>4. A recipe calls for 2 cups of flour, <math>\frac{1}{2}</math> cup of sugar, and <math>\frac{1}{4}</math> cup of butter. If you want to make twice the recipe, how much flour do you need? Solution: If we want to make twice the recipe, we need to double the amount of each ingredient. So we have: <math>\text{Flour} = 2 \text{ cups} \times 2 = 4 \text{ cups}</math> <math>\text{Sugar} = \frac{1}{2} \text{ cup} \times 2 = 1 \text{ cup}</math> <math>\text{Butter} = \frac{1}{4} \text{ cup} \times 2 = \frac{1}{2} \text{ cup}</math> Therefore, we need 4 cups of flour to make twice the recipe.</p> <p>5. A container of juice contains 1 liter of juice. If we pour <math>\frac{1}{4}</math> of the juice into a glass, how much juice is left in the container?</p>	Counters, bundle and loose straws base ten cut square, Bundle of sticks

	<p>Solution: If we pour <math>\frac{1}{4}</math> of the juice into a glass, we are left with <math>\frac{3}{4}</math> of the juice in the container. So we have: Juice left in container = <math>1 \text{ L} \times \frac{3}{4} = 0.75 \text{ L}</math></p> <p>Therefore, there is 0.75 liters of juice left in the container</p>	
<p><b>PHASE 3:</b> <b>REFLECTION</b></p>	<p>Use peer discussion and effective questioning to find out from learners what they have learnt during the lesson.</p> <p>Take feedback from learners and summarize the lesson.</p>	