## FIRST TERM <br> WEEKLY LESSON NOTES <br> WEEK 6

| Week Ending: 10-II-2023 ${ }^{\text {d }}$ DAY: |  |  | Subject: Mathematics |  |
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| Duration: IOOMINS |  |  | Strand: Number |  |
| Class: B9 |  |  | Sub Strand: SURDS |  |
| Content Standard: <br> B9.I.2.4 Demonstrate understanding of surds as real numbers, the process of adding and subtracting of surds |  | Indicator: <br> B9.I.2.4.I Identify simple and compound surds. |  | Lesson: <br> I of 2 |
| Performance Indicator: <br> Learners can identify and simplify simple and compound surds. |  |  | Core Competencies: <br> Communication and Collaboration (CC) <br> Critical Thinking and Problem solving (CP) |  |
| References: Mathematics Curriculum Pg. 169 |  |  |  |  |
| New words: Surds, Simple Surd, Compound, Radicand |  |  |  |  |
| Phase/Duration | Learners Activities |  |  | Resources |
| PHASE I: STARTER | Display the following numbers on the board: $\sqrt{ } 3, \sqrt{ } 18, \sqrt{ } 2, \sqrt{ } 50$. <br> Ask learners, "What do these numbers have in common, and how might they be different from each other?" <br> Share performance indicators and introduce the lesson. |  |  |  |
| PHASE 2: NEW LEARNING | Briefly discuss what surds remove a square root). <br> Explain the terminology: called the 'radicand'. <br> Define a simple surd as a further simplified. <br> Provide examples, such as simple surds (because th squares, apart from I). <br> Define a compound surd simplified further by facto <br> Use examples to illustrat $\sqrt{ }(9 \times 2)$ or $3 \sqrt{ } 2$. <br> Guide learners through the surds. <br> Example: Simplify the com <br> Solution <br> To simplify the compound | re (numbers tha <br> number under <br> uare root whos <br> $\sqrt{2}$ or $\sqrt{ } 3$, and ex don't have factors <br> a square root <br> ing out perfect s <br> For instance, $\sqrt{ }$ I <br> process of simp <br> ound surd: $\sqrt{ } 72$. <br> $\sqrt{ } 72$, you can si | can't be simplified to <br> the square root sign is <br> radicand cannot be <br> plain why these are which are perfect <br> hose radicand can be quares. <br> 8 can be written as <br> lifying a few compound <br> mplify it as follows: | Number cards |


|  | $\sqrt{72}=\sqrt{ }(36 * 2)$ <br> Now, simplify the square root of 36 , which is 6 : $\sqrt{ }(6 * 2)=6 \sqrt{ } 2$ <br> So, the simplified form of $\sqrt{ } 72$ is $6 \sqrt{ } 2$. <br> Distribute a set of cards to each student or small groups, where each card has a surd written on it. <br> Example: $\sqrt{ } 50, \sqrt{ } 18, \sqrt{ } 98, \sqrt{ } 54, \sqrt{ } 75$, etc. <br> Ask learners to sort these cards into two piles: simple surds and compound surds. <br> After sorting, encourage learners to pick a compound surd and simplify it. <br> Example: Simplify $\sqrt{ } 162$ <br> solution $\sqrt{ } 162=\sqrt{ }(9 * 18)$ <br> We can start by factoring 162 as $=\sqrt{ } 9=3$ and $\sqrt{ } 18=(9 * 2)$ $=3 * 3 \sqrt{2}$ <br> So, the simplified form of $\sqrt{ } 162$ is $9 \sqrt{ } 2$ <br> Assessment <br> I. Simplify the compound surd: $\sqrt{ } 72$. <br> 2. Is $\sqrt{5}$ a simple or compound surd? Explain your answer. <br> 3. Simplify $\sqrt{ } 45$. <br> 4. Simplify $\sqrt{ } 80$. <br> 5. Simplify $\sqrt{ } 28$. <br> 6. Simplify $\sqrt{ } 63$. <br> 7. Simplify $\sqrt{ } \mathrm{I} I 2$. <br> 8. Simplify $\sqrt{ } 200$. |  |
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| $\begin{aligned} & \text { PHASE 3: } \\ & \text { REFLECTION } \end{aligned}$ | Use peer discussion and effective questioning to find out from learners what they have learnt during the lesson. <br> Take feedback from learners and summarize the lesson. |  |


| Week Ending: 10-11-2023 |  | DAY: | Subje | Mathematics |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Duration: 100MINS |  |  |  | Strand: Number |  |
| Class: B9 |  | Class Size: |  | Sub Strand: SURDS |  |
| Content Standard: <br> B9.I.2.4 Demonstrate understanding of surds as real numbers, the process of adding and subtracting of surds |  |  | Indicator: <br> B9.I.2.4.2 Explain the identities/rules of surds |  | Lesson: <br> I of 2 |
| Performance Indicator: <br> Learners can understand the fundamental identities and rules of surds and apply them in mathematical expressions. |  |  |  | Core Competencies: Communication and Collaboration (CC) Critical Thinking and Problem solving (CP) |  |
| References: Mathematics Curriculum Pg. 169 |  |  |  |  |  |
| New words: Surds, Simple Surd, Rationalizing, Radicand |  |  |  |  |  |
| Phase/Duration | Learners Activities |  |  |  | Resources |
| PHASE I: STARTER | Begin with a math puzzle. Display the following expressions on the board: $\sqrt{ } 4, \sqrt{ } 9, \sqrt{ } 16$, and $\sqrt{ } 25$. <br> Ask learners, "What do you notice about these numbers, and how can you describe this pattern?" <br> Share performance indicators and introduce the lesson. |  |  |  |  |
| PHASE 2: NEW LEARNING | Revise cannot <br> Explain 'radican <br> Identity <br> Introdu surds multiply <br> Provide $\sqrt{ }(3 * 5)$ <br> Identity <br> Introdu <br> surds <br> radican <br> Provide <br> Identity | earners on t plified to wh <br> he number <br> $1-\sqrt{ } a * \sqrt{ } b=$ <br> product ru e same index e radicands. <br> ples and gui 5. <br> 2- $\sqrt{ } a / \sqrt{ } b=$ <br> quotient ru e same index <br> ples and gui $3-\frac{b}{\sqrt{\mathrm{a}}}=\frac{b}{\sqrt{ }}$ | definition of surd le numbers. <br> der the square root $\sqrt{(a * b)}:$ <br> explaining that w e.g., both $\sqrt{ }$ a), you <br> learners through <br> (a / b): <br> explaining that w you can simplify th <br> learners: $\sqrt{ } 12 / \sqrt{ }$ $* \frac{\sqrt{\mathrm{a}}}{\sqrt{\mathrm{a}}}=\frac{\mathrm{b} \sqrt{\mathrm{a}}}{\mathrm{a}}$ | square roots that <br> n is called the <br> you multiply two simplify them by <br> process: $\sqrt{ } 3 * \sqrt{ } 5=$ <br> you divide two by dividing the $\sqrt{ }(12 / 3)=\sqrt{ } 4=2 .$ | Number cards |


|  | Introduce Rule 3, explaining that it's used when you have a surd in the denominator of a fraction. <br> Walk through the steps: $b /(\sqrt{ } a)=b /(\sqrt{ } a) *(\sqrt{ }) /(\sqrt{ } a)=(b \sqrt{ } a) / a$. <br> Provide examples and let students practice. <br> Example I: <br> Simplify $5 / \sqrt{ } 3$. <br> Solution: $5 / \sqrt{ } 3=5 / \sqrt{ } 3 * \sqrt{ } 3 / \sqrt{ } 3=(5 \sqrt{ } 3) / 3$ <br> Example 2: <br> Simplify $2 / \sqrt{ } 6$. <br> Solution: $2 / \sqrt{ } 6=2 / \sqrt{ } 6 * \sqrt{ } 6 / \sqrt{ } 6=(2 \sqrt{ } 6) / 6=\sqrt{ } 6 / 3$ <br> Identity: Rule $4-a \sqrt{ } c+b \sqrt{ } c=(a+b) \sqrt{ } c:$ <br> Introduce Rule 4, explaining that it's used when adding or subtracting surds with the same index and radicand. <br> Walk through the steps: $a \sqrt{ } c+b \sqrt{ } c=(a+b) \sqrt{ } c$. Provide examples and let students practice. <br> Example I: <br> Simplify $4 \sqrt{ } 5+3 \sqrt{ } 5$ using Rule 4. <br> Solution: $4 \sqrt{ } 5+3 \sqrt{ } 5=(4+3) \sqrt{ } 5=7 \sqrt{ } 5$ <br> Example 2: <br> Simplify $\sqrt{ } 7+2 \sqrt{ } 7$ using Rule 4. <br> Solution: $\sqrt{ } 7+2 \sqrt{ } 7=(I+2) \sqrt{ } 7=3 \sqrt{ } 7$ <br> Identity: Rule $5-: \frac{c}{\mathrm{a}+\mathrm{b} \sqrt{\mathrm{n}}}=\frac{c}{\mathrm{a}+\mathrm{b} \sqrt{\mathrm{n}}} * \frac{a-b \sqrt{\mathrm{n}}}{a-b \sqrt{\mathrm{n}}}$ <br> Introduce Rule 5, explaining that it's used for rationalizing the denominator when the denominator contains a sum. <br> Walk through the steps: $c /(a+b \vee n)=c /(a+b \vee n) *(a-b \vee n) /(a-b \vee n)$. Provide examples and let students practice. <br> Example I: <br> Rationalize the denominator in the expression $5 /(3+\sqrt{ } 2)$. <br> Solution: $\begin{aligned} & 5 /(3+\sqrt{ } 2)=5 /(3+\sqrt{ } 2) *(3-\sqrt{ } 2) /(3-\sqrt{ } 2)=(5 *(3-\sqrt{ } 2)) /\left(3^{\wedge} 2-\right. \\ & \left.(\sqrt{ } 2)^{\wedge} 2\right)=(15-5 \sqrt{ } 2) /(9-2)=(15-5 \sqrt{ } 2) / 7 \end{aligned}$ |  |
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|  | Example 2: <br> Rationalize the denominator in the expression $2 /(I+\sqrt{ } 5)$. <br> Solution: $\begin{aligned} & 2 /(I+\sqrt{ } 5)=2 I(I+\sqrt{ } 5) *(I-\sqrt{ } 5) /(I-\sqrt{ } 5)=(2 *(I-\sqrt{ } 5)) /(I \wedge 2- \\ & \left.(\sqrt{5})^{\wedge} 2\right)=(2-2 \sqrt{ } 5) /(I-5)=(2-2 \sqrt{ } 5) /-4=-(I / 2)+(I / 2) \sqrt{5} \end{aligned}$ <br> Identity: Rule $6-\frac{c}{\mathrm{a}-\mathrm{b} \sqrt{\mathrm{n}}}=\frac{c}{\mathrm{a}-\mathrm{b} \sqrt{\mathrm{n}}} * \frac{a+b \sqrt{\mathrm{n}}}{a+b \sqrt{\mathrm{n}}}$ : <br> Introduce Rule 6, explaining that it's used for rationalizing the denominator when the denominator contains a difference. <br> Walk through the steps: $c /(a-b \sqrt{n})=c /(a-b \sqrt{n}) *(a+b \sqrt{n}) /(a+b \sqrt{n})$. Provide examples and let students practice <br> Example I: <br> Rationalize the denominator in the expression $3 /(2-\sqrt{ } 3)$ <br> Solution: $\begin{aligned} & 3 /(2-\sqrt{ } 3)=3 /(2-\sqrt{ } 3) *(2+\sqrt{ } 3) /(2+\sqrt{ } 3)=(3 *(2+\sqrt{ } 3)) /\left(2^{\wedge} 2-\right. \\ & \left.(\sqrt{ } 3)^{\wedge} 2\right)=(6+3 \sqrt{ } 3) /(4-3)=(6+3 \sqrt{ } 3) / I=6+3 \sqrt{3} \end{aligned}$ <br> Example 2: <br> Rationalize the denominator in the expression $4 /(I-\sqrt{ } 2)$. <br> Solution: $\begin{aligned} & 4 /(I-\sqrt{ } 2)=4 I(I-\sqrt{ } 2) *(I+\sqrt{ } 2) /(I+\sqrt{ } 2)=(4 *(I+\sqrt{ } 2)) /\left(I^{\wedge} 2-\right. \\ & \left.(\sqrt{ } 2)^{\wedge} 2\right)=(4+4 \sqrt{ } 2) /(I-2)=(4+4 \sqrt{ } 2) /-I=-4-4 \sqrt{ } 2 \end{aligned}$ <br> Provide learners with a set of surd expressions to simplify using the rules discussed. <br> Encourage group work and peer learning. Allow learners to check their work collaboratively. <br> Assessment <br> I. Apply the product rule to simplify $\sqrt{ } 2 * \sqrt{ } 8$. <br> 2. Use the quotient rule to simplify $\sqrt{ } 15 / \sqrt{ } 5$. <br> 3. Rationalize the denominator in the expression $\mathrm{I} / \sqrt{ } 2$. <br> 4. Simplify the expression $4 \sqrt{ } 7 / \sqrt{ } 2$ using the surd rules. <br> 5. What is the result of applying Rule 4 to $5 \sqrt{ } 3+2 \sqrt{ } 3$ ? <br> 6. Use Rule 5 to rationalize the denominator in the expression 7 / $(1+\sqrt{ } 5)$. <br> 7. Apply Rule 6 to rationalize the denominator in $3 /(2-\sqrt{ } 6)$. |  |
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| $\begin{aligned} & \text { PHASE 3: } \\ & \text { REFLECTION } \end{aligned}$ | Use peer discussion and effective questioning to find out from learners what they have learnt during the lesson. <br> Take feedback from learners and summarize the lesson. |  |

